



Fundação  
para a Ciência  
e a Tecnologia



# MODREV - Model Revision tool for Boolean logical models of biological regulatory networks

**Filipe Gouveia, Inês Lynce, and Pedro T. Monteiro**

{filipe.gouveia,ines.lynce,pedro.tiago.monteiro}@tecnico.ulisboa.pt

INESC-ID / Instituto Superior Técnico  
Universidade de Lisboa  
Lisbon, Portugal

CMSB 2020

# Table of Contents

## 1 Introduction

- Regulatory networks
- Motivation

## 2 MODREV

- MODREV Tool

## 3 Evaluation

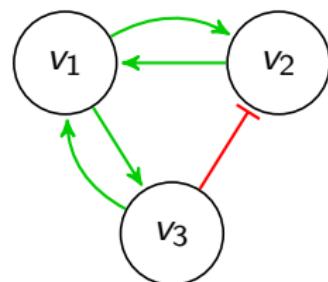
## 4 Tutorial

# Regulatory Networks

- Biological processes arise at the cellular level, governed by complex regulatory networks
- Regulatory network
  - ▶ Collection of molecular compounds (e.g. proteins, genes)
  - ▶ Compounds interact with each other
- Computational modelling allows
  - ▶ Functional understanding of the network
  - ▶ Test hypotheses
  - ▶ Identify predictions *in silico*
  - ▶ ...

# Boolean Logical Model

- Different formalisms can be used [KS08]
  - ▶ We consider the Boolean logical formalism [Tho73].
- Compounds represented by a Boolean variable
  - ▶ active/inactive
- Interactions defined as positive (activation) or negative (inhibition)
- Regulations defined as Boolean functions



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Motivation

- As new experimental data becomes available, models may become **inconsistent**
  - ▶ Models may not be able to reproduce the new information
  - ▶ Models need to be **revised**
- Model Revision is mainly a manual task
  - ▶ Performed by a modeler
  - ▶ Prone to error
- How can we repair an inconsistent model?
  - ▶ Change a regulatory function?
  - ▶ Change the type of interaction?
  - ▶ Add or remove interactions?

# Table of Contents

## 1 Introduction

- Regulatory networks
- Motivation

## 2 MODREV

- MODREV Tool

## 3 Evaluation

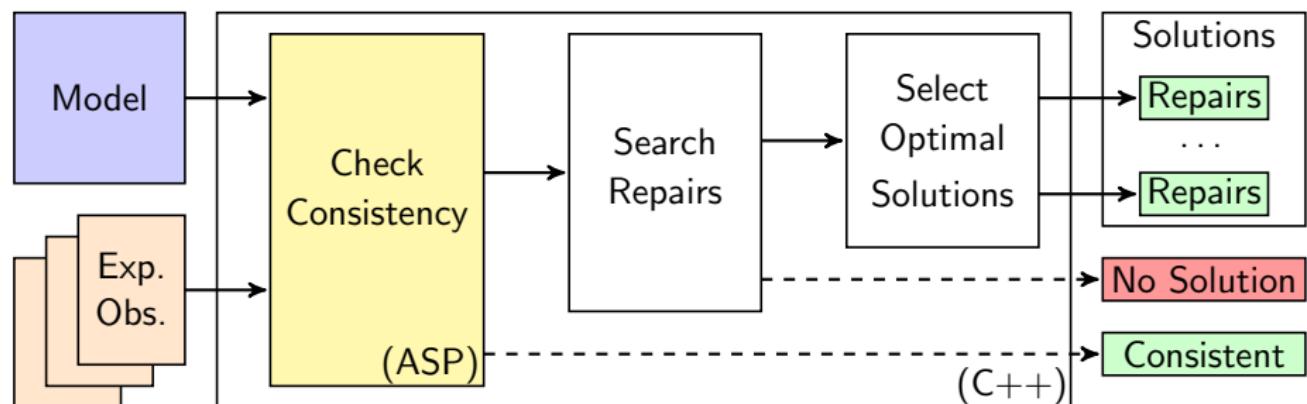
## 4 Tutorial

# MODREV Tool

- MODREV is a freely available model revision tool
  - ▶ <https://filipegouveia.github.io/ModelRevisionASP/>
- Confronts a Boolean Logical Model with experimental observations
  - ▶ Stable state observations
  - ▶ Time-series observations
    - ★ Synchronous
    - ★ Asynchronous
- MODREV implements the following methods
  - ▶ Consistency check and reasons of inconsistency [GLM18]
  - ▶ Revision under stable state observations [GLM19]
  - ▶ Search for function repairs [GLM20a]
  - ▶ Revision under Time-series observations [GLM20b]

# MODREV Tool

## MODREV arquitecture



# MODREV Tool

## Repair Operations:

- Change regulatory Function
- Change interaction type
- Remove interaction
- Add interaction

# MODREV Tool

## Repair Operations:

- Change regulatory Function
- Change interaction type
- Remove interaction
- Add interaction

## Optimization Criteria:

- ① Minimize interaction addition/removal
- ② Minimize interaction type changes
- ③ Minimize Boolean function changes

# Table of Contents

## 1 Introduction

- Regulatory networks
- Motivation

## 2 MODREV

- MODREV Tool

## 3 Evaluation

## 4 Tutorial

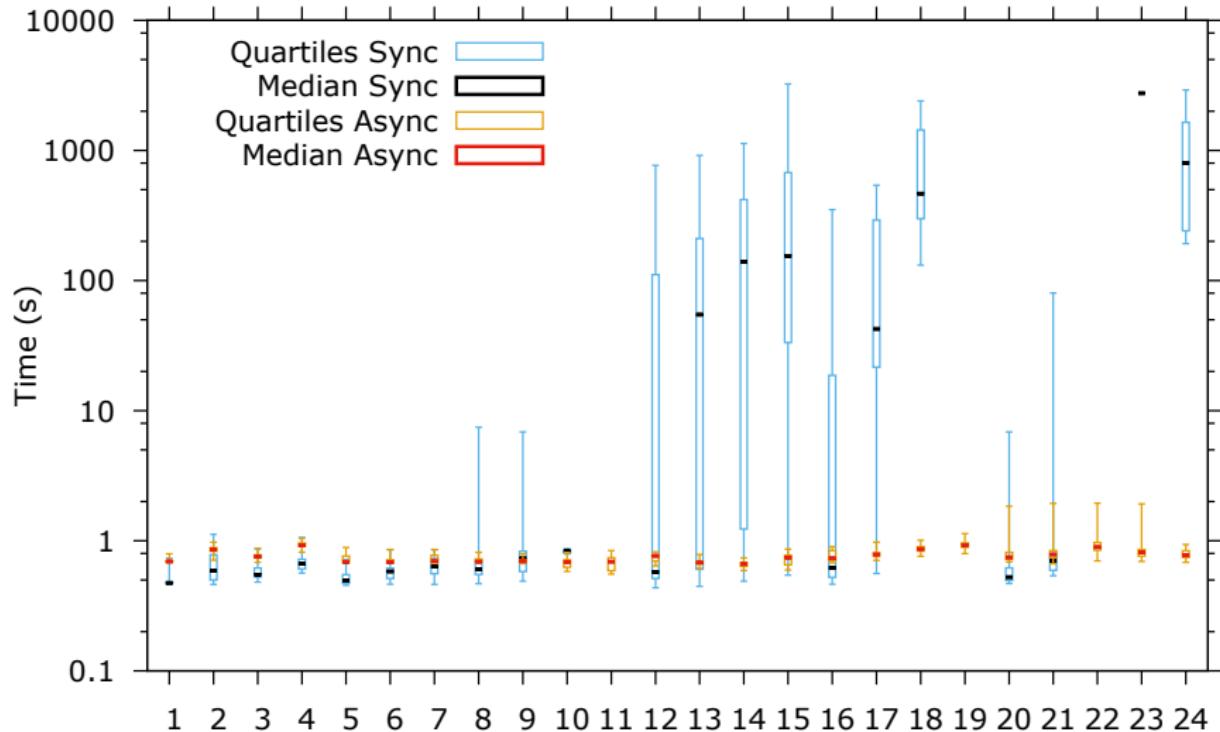
# Evaluation

- Segment Polarity (SP) network [SCT02]

Conf.	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	17	18	19	20	21	22	23	24
F	5	25	50	100	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	25	50	100	5	10
E	0	0	0	0	5	10	15	20	25	50	75	0	0	0	0	0	0	0	0	5	25	50	25	10
R	0	0	0	0	0	0	0	0	0	0	0	1	5	10	15	0	0	0	0	0	0	0	5	5
A	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	1	5	10	15	0	0	0	5	5

- Random changes were made according to probabilistic parameters
  - F% : Change a Function
  - E% : Flip the sign of an Edge
  - R% : Remove an existing edge
  - A% : Add a missing edge
- 100 corrupted models for each of the 24 configurations
- 5 time-series observations with 20 time-steps

# Evaluation



# Evaluation

- MODREV repaired the model smaller # operations
- Models repaired mostly under 60 seconds
- Changing the topology of the network has the greatest impact
- Better performance under the asynchronous update scheme
  - ▶ Only one regulatory function is updated at each time step

# Table of Contents

## 1 Introduction

- Regulatory networks
- Motivation

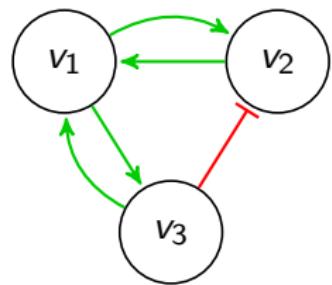
## 2 MODREV

- MODREV Tool

## 3 Evaluation

## 4 Tutorial

# Tutorial



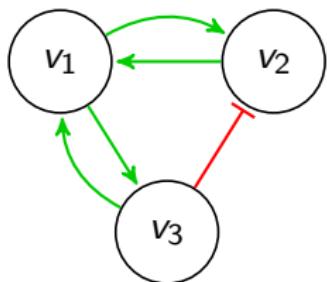
vertex(v1).  
vertex(v2).  
vertex(v3).

$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial



vertex(v1).

vertex(v2).

vertex(v3).

edge(v1,v2,1).

edge(v1,v3,1).

edge(v2,v1,1).

edge(v3,v1,1).

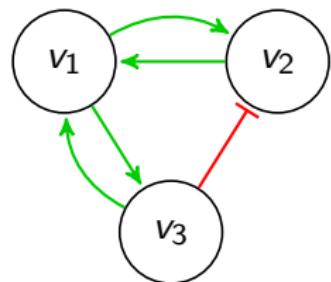
edge(v3,v2,0).

$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

vertex(v1).

vertex(v2).

vertex(v3).

edge(v1,v2,1).

edge(v1,v3,1).

edge(v2,v1,1).

edge(v3,v1,1).

edge(v3,v2,0).

functionOr(v1,1..1).

functionAnd(v1,1,v2). functionAnd(v1,1,v3).

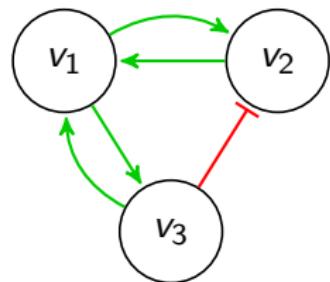
functionOr(v2,1..2).

functionAnd(v2,1,v1). functionAnd(v2,2,v3).

functionOr(v3,1..1).

functionAnd(v3,1,v1).

# Tutorial



## Stable State observation

`exp(p1).`

`obs_vlabel(p1,v1,0).`

`obs_vlabel(p1,v2,0).`

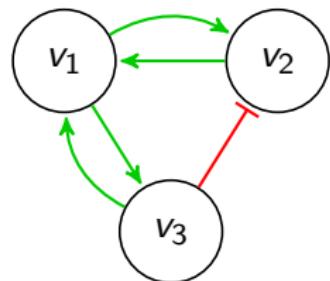
`obs_vlabel(p1,v3,1).`

$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial



## Stable State observation

```
exp(p1).  
obs_vlabel(p1,v1,0).  
obs_vlabel(p1,v2,0).  
obs_vlabel(p1,v3,1).
```

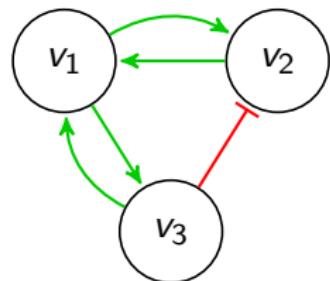
$$f_{v_1} = v_2 \wedge v_3$$

```
$ ./modrev -m model.lp -obs obsSS.lp -ss
```

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

## Stable State observation

```
exp(p1).  
obs_vlabel(p1,v1,0).  
obs_vlabel(p1,v2,0).  
obs_vlabel(p1,v3,1).
```

```
$ ./modrev -m model.lp -obs obsSS.lp -ss
```

### Found solution with 1 repair operation.

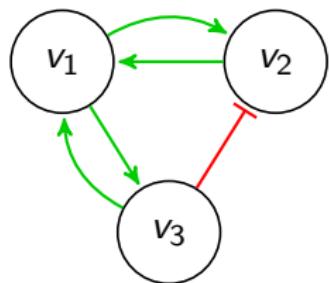
Inconsistent node v3.

Repair #1:

Flip sign of edge (v1,v3).

# Tutorial

## Time-series observation



		Time		
		0	1	2
Node	v1	0	1	0
	v2	0	0	0
	v3	1	0	0

$$f_{v_1} = v_2 \wedge v_3$$

```
#const t = 2.  
exp(p2).
```

$$f_{v_2} = v_1 \vee \neg v_3$$

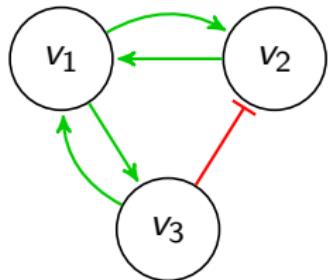
```
obs_vlabel(p2,0,v1,0). obs_vlabel(p2,0,v2,0).  
obs_vlabel(p2,0,v3,1).
```

$$f_{v_3} = v_1$$

```
obs_vlabel(p2,1,v1,1). obs_vlabel(p2,1,v2,0).  
obs_vlabel(p2,1,v3,0).  
obs_vlabel(p2,2,v1,0). obs_vlabel(p2,2,v2,0).  
obs_vlabel(p2,2,v3,0).
```

# Tutorial

```
$ ./modrev -m model.lp -obs obsTS01.lp -up s
```



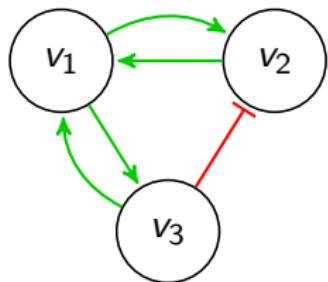
$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial

```
$ ./modrev -m model.lp -obs obsTS01.lp -up s
```



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

### Found solution with 5 repair operations.

Inconsistent node v1.

Repair #1:

Change function of v1 to  $(v_2 \vee v_3)$

Inconsistent node v2.

Repair #1:

Change function of v2 to  $(v_1 \wedge v_3)$

Flip sign of edge  $(v_1, v_2)$ .

Repair #2:

Change function of v2 to  $(v_1 \wedge v_3)$

Flip sign of edge  $(v_3, v_2)$ .

Inconsistent node v3.

Repair #1:

Change function of v3 to  $(v_1 \wedge v_2)$

Add edge  $(v_2, v_3)$  with sign 1.

Repair #2:

Change function of v3 to  $(v_1 \wedge v_3)$

Add edge  $(v_3, v_3)$  with sign 1.

# Thank you!

MODREV <https://filipegouveia.github.io/ModelRevisionASP/>

## Acknowledgements:



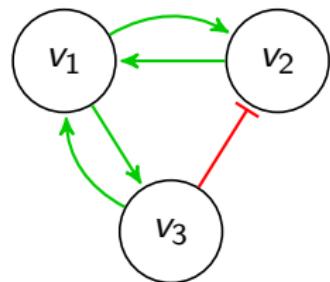
Fundação  
para a Ciéncia  
e a Tecnologia



# References

- [GLM18] Filipe Gouveia, Inês Lynce, and Pedro T Monteiro. "Model Revision of Logical Regulatory Networks Using Logic-Based Tools". In: *ICLP 2018 (Technical Communications)*. Schloss Dagstuhl-Leibniz-Zentrum fuer Informatik. 2018.
- [GLM19] Filipe Gouveia, Inês Lynce, and Pedro T Monteiro. "Model Revision of Boolean Regulatory Networks at Stable State". In: *International Symposium on Bioinformatics Research and Applications*. Ed. by Zhipeng Cai, Pavel Skums, and Min Li. Springer International Publishing. 2019, pp. 100–112.
- [GLM20a] Filipe Gouveia, Inês Lynce, and Pedro T. Monteiro. "Revision of Boolean Models of Regulatory Networks Using Stable State Observations". In: *Journal of Computational Biology* 27.2 (2020), pp. 144–155.
- [GLM20b] Filipe Gouveia, Ines Lynce, and Pedro Tiago Monteiro. "Semi-automatic model revision of Boolean regulatory networks: confronting time-series observations with (a)synchronous dynamics". In: *bioRxiv preprint doi:10.1101/2020.05.10.086900* (2020).
- [KS08] Guy Karlebach and Ron Shamir. "Modelling and analysis of gene regulatory networks". In: *Nature Reviews Molecular Cell Biology* 9.10 (2008), p. 770.
- [SCT02] Lucas Sánchez, Claudine Chaouiya, and Denis Thieffry. "Segmenting the fly embryo: logical analysis of the role of the Segment Polarity cross-regulatory module". In: *Int. J. Dev. Biol.* 52.8 (2002), pp. 1059–1075.
- [Tho73] René Thomas. "Boolean formalization of genetic control circuits". In: *J. Theor. Biol.* 42.3 (1973), pp. 563–585.

# Tutorial



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

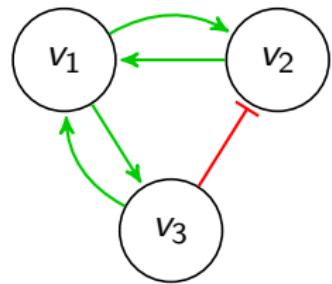
$$f_{v_3} = v_1$$

## Incomplete time-series observation

		Time		
		0	1	2
Node	v1	0		1
	v2	1	0	0
	v3			

```
#const t = 2.  
exp(p3).  
obs_vlabel(p3,0,v1,0). obs_vlabel(p3,0,v2,1).  
obs_vlabel(p3,1,v2,0).  
obs_vlabel(p3,2,v1,1). obs_vlabel(p3,2,v2,0).
```

# Tutorial



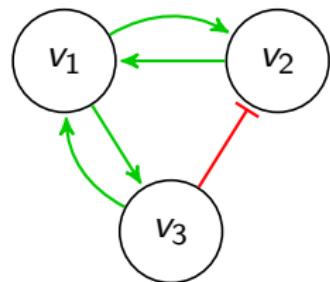
```
$ ./modrev -m model.lp -obs obsTS02.lp -up s
```

$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

# Tutorial



$$f_{v_1} = v_2 \wedge v_3$$

$$f_{v_2} = v_1 \vee \neg v_3$$

$$f_{v_3} = v_1$$

```
$ ./modrev -m model.lp -obs obsTS02.lp -up s
```

### Found solution with 3 repair operations.

Inconsistent node v1.

Repair #1:

Change function of v1 to (v2) || (v3)

Flip sign of edge (v2,v1).

Inconsistent node v2.

Repair #1:

Change function of v2 to (v1 && v3)

## MODREV Input

- `vertex(V)` . : V is a node of the network
- `edge(V1,V2,S)` . : edge from V1 to V2 with sign S ∈ {0, 1}
- `functionOr(V,1..N)` . : regulatory function of V in DNF is represented by a disjunction of N ∈ ℕ terms
- `functionAnd(V,T,R)` . : node R is present in the T-th term of the regulatory function of V
  
- `exp(E)` . : E is an experimental observation
- `obs_vlabel(E,V,S)` . : node V has an observed value of S ∈ {0, 1} in experiment E (Stable State)
- `obs_vlabel(E,T,V,S)` . : in time-step T node V has an observed value of S ∈ {0, 1} in experiment E (Time-series)